# PSS Based Angle Stability Improvement Using Whale Optimization Approach

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### Abstract

This paper introduced a new swarm based optimization technique for tuning Power System Stabilizer (PSS) that attached to a synchronous generator in a single machine infinite bus (SMIB) system. PSS which is installed with Lead-Lag (LL) controller is introduced to elevate the damping capability of the generator in the low frequency mode. For tuning PSS-LL parameters, a new technique called Whale Optimization Algorithm (WOA) is proposed. This method mimics the social behavior of humpback whales which is characterized by their bubble-net hunting strategy in order to enhance the quality of the solution. Based on eigenvalues and damping ratio results, it is confirmed that the proposed technique is more efficient than Particle Swarm Optimization (PSO) and Evolutionary Programming (EP) in improving the angle stability of the system. Comparison between WOA, PSO and EP optimization techniques showed that the proposed computation approach give better solution and faster computation time.

**Keywords**: Angle Stability, Damping Ratio, Power System Stabilizer, Particle Swarm Optimization, Whale Optimization Algorithm.

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#### 1. Introduction

The excitation control of generators is among the important topics in the field of power system. A good excitation control is the best way to damp the oscillations and improve the angle stability of generators. Power system stabilizer (PSS) is widely used in order to improve the dynamic stability and damping the low frequency mode of the inter-area oscillation. Compared to Flexible Alternating Current Transmission Systems (FACTS) technologies, the proposed approach use less of heavy equipments, so that it is more cost-effective. Moreover, supplementary controllers designed for each FACTS device are not directly involved with electromechanical oscillations. As a result, the damping controller design is not as straightforward as those of the PSS [1-3,13,15].

In this study, a Lead-Lag (LL) controller is combined with PSS to give more sufficient control to the oscillations. For tuning the PSS-LL controller, three variables: lead compensator time constant,  $T_1$ , lag compensator time constant,  $T_3$  and washout time constant,  $T_W$  are need to be optimized.

Optimization approaches are frequently chosen to tune variables of devices in solving power system stability problems. Among them are Evolutionary Programming (EP) [4,5], Particle Swarm Optimization (PSO) [6-8] and Bat algorithm (BAT) [15,16]. EP used biological evolution process in searching for an optimal solution. On the other hand, PSO is a technique that influenced by the behaviours of fish schooling and bird flocking. As a metaheuristic optimization technique similar to PSO, BAT optimization technique comprises the echolocation behavior of bats found in nature. A new nature-inspired meta-heuristic optimization algorithm called Whale Optimization Algorithm (WOA) is proposed [9,10]. This method mimics the social behavior of humpback whales which is characterized by their unique method of hunting known as the bubble-net feeding method. It brought better performance than PSO and EP in calculating the optimal solution.

This paper proposed a more effective approach in searching the best value of parameters for PSS-LL controller. All three fixed-gains of PSS-LL controller are determined using WOA. The objective is to produce the most stabilized technique in the shortest time.

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Three simulation cases were conducted to discuss the comparison of WOA-based optimization method with PSO and EP.

## 2. Problem Formulation

In this study, a single-machine-infinite-bus (SMIB) system is considered. The exciter of the generator is connected to the power system stabilizer with a lead-lag (PSS-LL) controller. PSS-LL controller regulates the current of the generator based on the speed deviation,  $\Delta \omega$ . As a result, the required damping torque can be channeled and damping out the oscillations.

Based on the SMIB system model with PSS-LL controller, a Phillips-Heffron based block diagram model which consists of Power System Stabilizer with Lead-Lag (PSS-LL) controller is designed. The block diagram model of PSS-LL controller is shown in Figure 1.



Figure 1. The block diagram model of PSS-LL controller

 $K_{st}$  is the stabilizer gain for PSS.  $T_w$  is the washout time constant.  $T_1$  and  $T_2$  are the time constant for the first phase compensation.  $T_3$  and  $T_4$  are the time constant for the second phase compensation.

The equations represent SMIB system installed with PSS-LL are as followed:

$$\frac{\Delta\omega}{\Delta t} = \frac{\Delta T_m - K_1 \Delta \delta - K_d \Delta \omega_r - K_2 \Delta E_q}{2H}$$
(1)

$$\frac{\Delta\delta}{\Delta t} = \omega_0 \Delta \omega_r \tag{2}$$

$$\frac{\Delta E_q}{\Delta t} = -\frac{K_3 K_4 \Delta \delta + \Delta E_q - K_3 \Delta v_f}{T_K}$$
(3)

$$\frac{\Delta v_f}{\Delta t} = -\frac{K_R K_5 \Delta \delta + K_R K_6 \Delta E_q + \Delta v_f + K_R \Delta \sigma}{T_R}$$
(4)

$$\frac{\Delta\sigma}{\Delta t} = -\frac{T_1 T_3 K_{st}}{2H T_2 T_4} \left( K_d \Delta \omega_r + K_1 \Delta \delta + K_2 \Delta E_q \right) - \frac{1}{T_4} \left( \Delta \sigma - \Delta v_1 \right) + \frac{T_3}{T_2 T_4} \left( 1 - \frac{T_1}{T_W} \right) \Delta v_2 \tag{5}$$

$$\frac{\Delta v_1}{\Delta t} = -\frac{T_1 K_{st}}{2HT_2} \left( K_d \Delta \omega_r + K_1 \Delta \delta + K_2 \Delta E_q \right) + \frac{1}{T_2} \left( 1 - \frac{T_1}{T_W} \right) \Delta v_2$$
(6)

$$\frac{\Delta v_2}{\Delta t} = -\frac{K_{st}}{2H} \left( K_d \Delta \omega_r + K_1 \Delta \delta + K_2 \Delta E_q \right) - \frac{1}{T_W} \Delta v_2 \tag{7}$$

 $T_m$  is the mechanical torque, *H* is the inertia constant,  $K_D$  is the damping torque coefficient,  $K_R$  and  $T_R$  are the circuit constant and time constant of the exciter oscillation system, respectively.  $\omega_0$  is equal to  $2\pi f_0$ . The *K* constants i.e.  $K_1$ ,  $K_2$ ,  $K_3$ ,  $K_4$ ,  $K_5$ ,  $K_6$  and  $T_K$  are represent the dynamic characteristics of the system model. Detail calculation of parameters  $K_1$ ,  $K_2$ ,  $K_3$ ,  $K_4$ ,  $K_5$  and  $K_6$  can be found in [11].

Based on (1) - (7), a state-space form is developed as follows:

$$X_{PSS} = A_{PSS} \cdot X_{PSS} + B_{PSS} \cdot U \tag{8}$$

$$X_{PSS} = \begin{bmatrix} \Delta \omega_r & \Delta \delta & \Delta E_q & \Delta v_f & \Delta \sigma & \Delta v_1 & \Delta v_2 \end{bmatrix}^T$$
(9)

$$U = \Delta T_m \tag{10}$$

where X and U are the state vector and input signal vectors, respectively. A and B are matrices of real constants and variables with suitable dimensions.

In this paper, the value of washout time constant,  $T_w$ , first phase compensation time constant,  $T_1$  and second phase compensation time constant,  $T_3$  are kept within specified limits. The value of  $T_2$  and  $T_4$  are chosen equal to the value of  $T_1$  and  $T_3$ , respectively. The WOA algorithm is proposed to calculate the optimal computation of the PSS-LL controller parameters. The SMIB systems parameters are shown in Table 1. Details are explained in [11].

Table 1. The	Table 1. The Parameters for SMIB and PSS System			
Components	List of Parameters			
Generator	$H = 2.0, T_{d0} = 8.0, X_d = 1.81, X_q = 1.76, X_d = 0.30,$ $R_a = 0.003, K_{sd} = K_{sq} = 0.8491, E_t = 1.0 \angle -36^{\circ}$			
Transmission Line	$R_e = 0.0, X_e = 0.65, X_L = 0.16$			
Exciter and PSS	$K_R = 200, T_R = 0.05, K_{st} = 9.5$			

## 3. Computational Intelligence Methods

In this study, the proposed WOA is compared with EP and PSO in order to highlight their merit. The algorithms for all methods are discussed below.

#### 3.1 Evolutionary Programming

In the EP algorithm, the population has n candidate solutions with each candidate solution is an *m*-dimensional vector, where *m* is the number of optimized parameters. The EP algorithm can be described as:

- Step 1 (Initialization): Generation counter *i* is set to 0, and generate *n* random solutions a)  $(x_k, k=1,...,n)$ . The  $k^{th}$  trial solution  $x_k$  can be written as  $x_k=[p_1,...,p_m]$ , where the  $l^{th}$ optimized parameter  $p_i$  is generated by random value in the range of  $[p_i^{min}, p_i^{max}]$  with uniform probability. Each individual is evaluated using the fitness function J. In this initial population, the maximum value of fitness function  $J_{max}$  will be searched; the target is to find the best solution  $x_{best}$  with objective function  $J_{best}$ .
- Step 2 (Mutation): Each parent  $x_k$  produces one offspring  $x_{k+n}$ . Each optimized b) parameter  $p_l$  is perturbed by a Gaussian random variable N (0,  $\sigma_l^2$ ). The standard deviation  $\sigma_l$  specifies the range of the optimized parameter perturbation in the offspring.  $\sigma_l$  equation is as follows:

$$\sigma_l = \beta \times \frac{J(x_k)}{J_{\max}} \times \left( p_l^{\max} - p_l^{\min} \right)$$
(11)

where  $\beta$  is a scaling factor, and  $J(x_k)$  is the objective function of the trial solution  $x_k$ . The value of optimized parameter will be set at certain limit if any value violates its specified range. The offspring  $x_{k+n}$  can be described as:

$$x_{k+n} = x_k + [N(0, \sigma_1^2), ..., N(0, \sigma_m^2)], \quad (k=1, ..., n)$$
 (12)

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- c) Step 3 (Statistics): The minimum objective function  $J_{min}$  and the maximum objective function  $J_{max}$  of all individuals are calculated.
- d) Step 4 (Update the best solution): If  $J_{max}$  is smaller than  $J_{best}$ , go to Step 5, or else, update the best solution,  $x_{best}$ . Set  $J_{max}$  as  $J_{best}$ , and go to Step 5.
- e) Step 5 (Combination): All members in the population  $x_k$  are combined with all members from the offspring  $x_{k+n}$  to become 2n candidates. These individuals are then ranked in descending order, based on their objective function as their weight.
- f) Step 6 (Selection): The first *n* individuals with higher weights are selected along with their objective functions as parents of the next generation.
- g) Step 7 (Stopping criteria): The search process will be terminated if it reaches the maximum number of generations or the value of (Jmax - Jmin) is very close to 0. If the process is not terminated, the generation will be set to i=i+1 and algorithm will start again from Step 2.

## 3.2 Particle Swarm Optimization

Particle Swarm Optimization (PSO) is similar to EP, an evolutionary based optimization technique, which imitates the behaviour of birds flocking and fish schooling. In this paper, the PSO algorithm works as follows:

- a) Step 1 (Initialization): The velocity  $v_i$  and position  $x_i$  of N particles (*i*=1,...,*N*) are randomly created to form initial population. Similar to EP, each particle is evaluated using the objective function J. In this initialization process,  $J_i$  is set as personal best objective function  $J_{i,p}$  for *i*th particle. The maximum objective function of all particles  $J_{max}$  is set as global best objective function  $J_g$ . The position  $x_i$  for  $J_{i,p}$ ,  $J_{max}$  and  $J_g$  is set as personal best position  $p_i$ , position with maximum objective function  $p_m$  and global best position g, respectively.
- b) Step 2 (Update the velocity and positions): At *j*th iteration, the velocity and position of *i*th particle is updated according to the following equations:

$$v_{i}(j) = \omega v_{i}(j-1) + c_{1}r\{p_{i}(j-1) - x_{i}(j-1)\} + c_{2}r\{g(j-1) - x_{i}(j-1)\}$$

$$x_{i}(j) = v_{i}(j) + x_{i}(j-1)$$
(13)
(14)

where,  $\omega$  is the inertia weight,  $c_1$  and  $c_2$  are acceleration coefficients, and *r* is random function in the range [0,1].

- c) Step 3 (Calculate objective functions): The new J,  $J_{max}$  and the minimum objective function of all particles  $J_{min}$  are calculated.
- d) Step 4 (Update the best positions):  $p_i$  and g are updated when the following conditions are met:
  - If *J<sub>i</sub>* is bigger than *J<sub>i,p</sub>*, set *J<sub>i</sub>* as *J<sub>i,p</sub>*, and set *x<sub>i</sub>* as *p<sub>i</sub>*. Else, the value of *J<sub>i,p</sub>* and *p<sub>i</sub>* are maintain.
  - If  $J_{max}$  is bigger than  $J_g$ , set  $J_{max}$  as  $J_g$ , and set  $p_m$  as g. Else, the value of  $J_g$  and g are maintain.
- e) Step 5 (Stopping criteria): The search process will be terminated if it reaches the maximum number of generations or the value of  $(J_{max} J_{min})$  is very close to 0. If the process is not terminated, the iteration will be set to j=j+1 and algorithm will start again from Step 2.

# 3.3 Whale Optimization Algorithm

Whale Optimization Algorithm (WOA) is a novel nature-inspired meta-heuristic optimization algorithm proposed by Seyedali Mirjalili and Andrew Lewis in 2016, which mimics the social behavior of humpback whales. The modelling of this algorithm includes three operators simulate the search for prey (exploration phase), the encircling prey, and the bubble-net foraging (exploitation phase). In this paper, the WOA works as follows:

a) Step 1 (Initialization): The whale position  $x_i$  of *N* solution (*i*=1,...,*N*) are randomly created to form initial whale population. Similar to EP, each whale is evaluated using the

objective function *J*. In this initialization process,  $J_i$  is set as personal best objective function  $J_{i,p}$  for *i*th whale. The maximum objective function of all whales  $J_{max}$  is set as best objective function  $J_{best}$  and the whale position at  $J_{best}$  is set as best position  $x_{best}$ . Step 2 (Update positions):  $x_i$  is updated when the following conditions are met:

• If iteration *j* is odd number and  $(J_{max} - J_i) < 0.1$ , update the current whale position  $x_i$  by the following equation:

$$x_{i}(j) = x_{best} + A \cdot (C \cdot x_{best} - x_{i}(j-1))$$
(15)

where A is the inertia weight, C are random functions in the range [0,1]. This phase is called encircling prey. In this phase, WOA assumes that the current best position  $x_{best}$  is the target prey or close to the optimum.

If iteration *j* is odd number and (*J<sub>max</sub>* - *J<sub>i</sub>*) ≥ 0.1, search average position for the current whale position *x<sub>i</sub>* by the following equation:

$$x_i(j) = x_{average} + A \cdot (C \cdot x_{average} - x_i(j-1))$$
(16)

This phase is called exploration phase. In this phase, the search agents are forced to move far away from the best whale position.

• If iteration *j* is even number, update the current whale position *x<sub>i</sub>* by the following equation:

$$x_i(j) = x_{best} + (C \cdot x_{best} - x_i(j-1)) \cdot e^{bl} \cdot \cos(2\pi l)$$

$$\tag{17}$$

where *b* is a constant, *l* is a random number in [-1,1]. This phase is called exploitation phase. This equation is created between the position of whale and prey to mimic the helix-shaped movement of humpback whales.

- c) Step 3 (Calculate objective functions): The new J,  $J_{max}$  and the minimum objective function of all whales  $J_{min}$  are calculated.
- d) Step 4 (Stopping criteria): The search process will be terminated if it reaches the maximum number of generations or the value of  $(J_{max} J_{min})$  is very close to 0. If the process is not terminated, the iteration will be set to j=j+1 and algorithm will start again from Step 2.

#### **3.4 Fitness Equation**

The implementation of PSS-LL controller in the SMIB system will accelerate the oscillations damping and minimize the power angle deviation after a disturbance. In this paper, a fitness equation based on the combination of minimum damping ratio  $\xi_{min}$  and maximum damping factor  $\sigma_{max}$  effectiveness has been formulated as follows [12-14]:

$$J = \rho_2 \cdot \xi_{\min} + \rho_2 \cdot \sigma_{\max} , \ \xi_i \in \xi_{EM} , \ \sigma_i \in \sigma_{EM}$$
(18)

$$\xi = -\frac{\sigma_i}{\sqrt{\sigma_i^2 + \omega_i^2}} , \sigma_i \in \sigma_{EM}$$
<sup>(19)</sup>

 $\rho_1$  and  $\rho_2$  are random function in the range [0,1] attached to  $\xi_{min}$  and  $\sigma_{max}$ , respectively in order to tune the percentage of both indicators.  $\sigma_i$  and  $\omega_i$  are respectively the real and imaginary part of the *i*<sup>th</sup> eigenvalue.

With the optimization of  $\sigma$ , the system poles are pushed further to the left of the imaginary,  $j\omega$  axis. Simultaneously, the optimization of  $\xi$  will decrease the value of  $|j\omega|$ , so that the region of the eigenvalues on the complex s-plane will overall shift towards the real,  $\sigma$  axis. The combination of both effects can be showed as a triangle-shaped sector on the complex s-plane. Figure 2 shows the regions of eigenvalues on the complex s-plane, before and after optimization process.

b)



Figure 2. Comparison of eigenvalue areas on the complex s-plane (with and without J)

Therefore, the design problem can be formulated as: Maximize J This is subject to

$$\begin{array}{l} T_{W}^{max} \leq T_{W} \leq T_{W}^{min}, \\ T_{1}^{max} \leq T_{1} \leq T_{1}^{min}, \\ T_{3}^{max} \leq T_{3} \leq T_{3}^{min} \end{array}$$

Here,  $T_w$ ,  $T_1$  and  $T_3$  are optimized by EP, PSO and WOA approach. The fitness values and parameters involved in these three techniques are tabulated in Table 2.

Table 2. The Fitness Values and Parameters for EP, PSO and WOA Algorithms

Methods	EP	PSO	WOA	Fitness Values
List of Parameters	β=0.05	$c_1 = c_2 = 0.5,$ $\omega_{max} = 0.09,$ $\omega_{min} = 0.04$	A = 0.9, C = 1, b = 1, I = 0.25	$\rho_1 = 0.5, \ \rho_2 = 0.5$

## 4. Results and Discussion

In this paper, simulation studies of a PSS-LL based SMIB power system are carried out in MATLAB environment. Three parameters: the value of washout time constant,  $T_w$ , first phase compensation time constant,  $T_1$  and second phase compensation time constant,  $T_3$  are optimized until maximum value of the fitness equation *J* is defined.

In this study, the performance of system with conventional PSS-LL system (C-PSS) is compared to PSS-LL system optimized by EP (EP-PSS), PSS-LL system optimized by PSO (PSO-PSS) and PSS-LL system optimized by WOA (WOA-PSS). Simulated loading conditions are tabulated in Table 3. Following three different loading conditions are simulated:

- a) Case 1 (P = 0.5 p.u., Q = 0.2 p.u.)
- b) Case 2 (P = 0.7 p.u., Q = -0.2 p.u.)
- c) Case 3 (P = -0.2 p.u., Q = 0.75 p.u.)

The response of speed deviation for Case 1 is shown in Figure 3(a). The system with C-PSS is poorly damped and becomes stable for more than 3 seconds. On the other hand, the implementation of PSS in other three systems is improving the damping capability. From the speed response, its shows that WOA-PSS manage to deliver the fastest and smoothest damping performance, followed by PSO-PSS and EP-PSS.

From the eigenvalues perspectives, WOA is the most sufficient approach in shifting the eigenvalues further to the left-hand side of  $j\omega$  axis, as well as towards  $\sigma$  axis at the loading condition compared to other three methods. It also shows that C-PSS have two eigenvalues that place near to the left-hand side of the  $j\omega$  axis, indicate that the system is the most less stable. The regions of eigenvalues location in complex s-plane for all four techniques in Case 1 are shown in Figure 3(b).



Figure 3. Speed response and complex s-plane for Case 1

Table 4. Comparison of C-PSS, EP-PSS, PSO-PSS and WOA-PSS System for Case 1

Туре	$T_W$	$T_1$	$T_3$	J	$\xi_{min}$	$\sigma_{max}$	Ni
C-PSS	10	10	10	0.6319	0.1051	1.1588	-
EP-PSS	0.8753	0.1487	0.6008	0.7115	0.2231	1.2000	15
PSO-PSS	0.4117	0.1875	0.6358	0.9126	0.2523	1.5728	6
WOA-PSS	0.2002	0.1453	0.5716	1.0286	0.3078	1.7495	6

The results of fitness profiles, number of iteration  $N_{j}$ , minimum damping ratio  $\zeta_{min}$  and maximum damping factor  $\sigma_{max}$  using C-PSS, EP-PSS, PSO-PSS and WOA-PSS for Case 1 are tabulated in Table 4. From the results, WOA-PSS optimized the highest value of *J* followed by PSO-PSS, EP-PSS and C-PSS. Results also show that the value of  $\zeta_{min}$  and  $\sigma_{max}$  for WOA approach is higher than the other three techniques. From Table 4, both WOA and PSO were terminated in 6 iterations, while the EP was stopped at iteration 15. This shows that WOA and PSO give shorter computation time compared to EP. Overall, the proposed technique gives the best improvement in damping capability in the smallest number of iteration.

The response of speed deviation for Case 2 is shown in Figure 4(a). Here also, the proposed WOA-PSS system shows better damping and lower oscillation compared to other four techniques. The regions of eigenvalues location in complex s-plane for Case 2 as shown in Figure 4(b) indicate that WOA approach is more capable to improve the stability of the system by pushing the eigenvalues location far further to the left-hand side of the complex s-plane and closer to the real,  $\sigma$  axis. Table 5 tabulates the results for comparative studies using C-PSS, EP-PSS, PSO-PSS and WOA-PSS for Case 2. Results obtained shows that proposed technique achieve higher fitness compared to C-PSS, EP-PSS and PSO-PSS, as well as smaller number of iteration compared to EP-PSS and PSO-PSS.



Figure 4. Speed response and complex s-plane for Case 2

Table 5. Comparison of C-PSS, EP-PSS, PSO-PSS and WA-PSS System for Case 2

Туре	T <sub>W</sub>	Τ <sub>1</sub>	Τ3	J	$\xi_{min}$	$\sigma_{max}$	Ni
C-PSS	10	10	10	0.0623	0.0547	0.0700	-
EP-PSS	0.2791	10.2263	11.2894	0.0964	0.1042	0.0886	7
PSO-PSS	0.1191	10.1194	10.2565	0.1380	0.1785	0.0975	4
WOA-PSS	0.0624	8.2263	19.2894	0.2160	0.3303	0.1018	3



Figure 5. Speed response and complex s-plane for Case 3

Table 6.	Comparison	of C-PSS, EP-PSS	, PSO-PSS and V	VOA-PSS Syste	m for Case 3
			,		

Туре	$T_W$	$T_1$	T <sub>3</sub>	J	$\xi_{min}$	$\sigma_{max}$	Ni
C-PSS	10	10	10	0.0756	0.0256	0.1000	-
EP-PSS	0.1033	0.9421	2.3087	0.3199	0.1033	0.4331	12
PSO-PSS	0.069	0.8612	2.1217	0.3702	0.1345	0.4713	5
WOA-PSS	0.0472	0.8802	1.8139	0.4293	0.1537	0.5513	5

# 4. Conclusion

This paper proposed a new optimization approach for tuning PSS with LL controller. Three methods based on EP, PSO and WOA computation intelligence methods for optimizing  $T_W$ ,  $T_1$  and  $T_3$  have been developed. Results obtained from the study indicated that WOA outperformed PSO and EP in terms of giving better values of  $T_W$ ,  $T_1$  and  $T_3$  which are responsible for stability point determination. The performances are validated with respect to speed deviation response as well as eigenvalues, minimum damping ratio  $\zeta_{min}$  and maximum damping factor  $\sigma_{max}$ .

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