

# A weighted group shuffled decoding for low-density parity-check codes

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## ABSTRACT

In this paper, we have developed several concepts such as the tree concept, the short cycle concept and the group shuffling concept of a propagation cycle to decrypt low-density parity-check (LDPC) codes. Thus, we proposed an algorithm based on group shuffling propagation where the probability of occurrence takes exponential form exponential factor appearance probability belief propagation-group shuffled belief propagation (EFAP-GSBP). This algorithm is used for wireless communication applications by providing improved decryption performance with low latency. To demonstrate the effectiveness of our suggested technique EFAP-GSBP, we ran numerous simulations that demonstrated that our algorithm is superior to the traditional BP/GSBP algorithm for decrypting LDPC codes in both regular and non-regular forms.

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## 1. INTRODUCTION

In the literature, authors have often used the concept of belief propagation (BP) and the concept of sum and product (SPA) method to control the parity of low-density parity-check codes (LDPC) with good performance. But the concept of sum and product (SPA) decoder has several limitations such as fast divergence and the great difficulty to implement this code. In the literature some authors have proposed solutions to solve these problems. Thus, the authors of the paper [1] have proposed a method based on serial BP decoding. Their algorithm focuses on the variable nodes of the bipartite graph by dividing them into several groups. In the paper [2] the authors focused on the control nodes (CN) of the bipartite graph by dividing them into several groups.

Other authors [3]-[6] have used the concept of serial and parallel decoding through sequential groups of messages to achieve reliable decryption of extrinsic messages within an iteration. Moreover, the authors of the article [7], [8] have shown that the decryption method based on the horizontal group shuffling principle (HGSBP) is the easiest algorithm to implement. Thus we will also use this algorithm as a development of our proposed decoding method. Indeed, we will associate each control node to a group. In this case, each decryption operation will consist of more sub-operations. These sub-operations will initialize the log-likelihood measures generated at the virtual node (VN) variable nodes that are linked to the CNs of the same group in parallel in each group.

Moreover, in this proposed form, the messages will flow within the two-part sub graph consisting of the group's CNs and all the VNs that are connected to its CNs. Thus, considering the CNs and VNs as belonging to the

same set unlike conventional group shuffling (GS) scheduling [9]-[18] has improved the efficiency of our proposed algorithm. Then we have considered the short length of the cycle to parameterize again a part of the factorized graph. This allowed us to propose a new algorithm noted weight factor group shuffled belief propagation (WFGSBP) based on the previous idea and a cycle counting algorithm developed in our laboratory. This proposed algorithm allows us to decipher LPDC codes in their regular and non-regular form more efficiently.

In summary, we presented in this work a knowledge-assisted binary phase shift keyin (GSBP) algorithm [19] that uses a simple criterion to select the weighting factors (WFs). In addition, the suggested technique works on both symmetric and asymmetric graphs. We compare the proposed method to the standard BP and GSBP algorithms in terms of convergent behavior and decoding performance in a study of the most recent reweighted GSBP algorithm [20]-[27]. The rest of the paper is organized as being as: in section 2 we present the basic principles of the GSBP decoding concept. Our proposed algorithm is presented in section 3 while the evaluations of its performance are presented in section 4.

## 2. GROUP SHUFFLED BELIEF PROPAGATION DECODING

As we explained in the previous paragraph, the GSBP algorithm uses a mixture of parallel and sequential coding at the same time which improves its convergence [28], [29] unlike the classical BP algorithm which uses only parallel coding at each iteration where all the variable nodes perform the message passing in parallel. Assume we have an LDPC code of codeword length  $N$ , there will be  $N$  variable nodes  $v_1, v_2, \dots, v_N$ , each  $G_k$  is defined as:

$$G_k = \{vn: n \in \{1, 2 \dots N\} \text{ and } k = \lfloor \frac{n}{N_g} \rfloor\} \quad (1)$$

### 2.1. System model and decoding schedule

Assume a codeword  $C = (c_1, c_2, \dots, c_N)$  is binary phase shift keyin-modulated (BPSK) and transmitted over an additive white Gaussian noise (AWGN) channel with noise variance  $\sigma^2$ . If we note by  $Y = (y_1, y_2, \dots, y_N)$  the vector received by the channel and  $L_n$  the log-likelihood ratio (LLR) relative to the variable node  $n$  given by:

$$L_n = \frac{2}{\sigma^2} * y_N \quad (2)$$

Let  $G_g$  be the  $g$ th CN group,  $1 < g < G$  and  $U$  be a set of CNs, iteration counter is  $I$ , and maximum number of iterations is  $I_{max}$ . The GSBP algorithm may therefore be described as being as shown in Figure 1.

- Step 0 : initialisation  
Set  $I=1$ ,  $U = \{x | 1 \leq x \leq M\}$ , and  $G_g = \emptyset$  for  $1 \leq g \leq G$
- Step 1 : Grouping check node  
Collect  $NG$  elements randomly from the set  $U$  to form  $G_1$ , let  $U = U \setminus G_1$ .  
Collect  $NG - NG^*r$  element randomly from the set  $U$  and  $NG^*r$  elements from  $G_1$  to create  $G_2$ . For  $3 \leq g \leq G$ , collect  $NG - NG^*r$  element randomly from the set  $U$  and  $NG^*r$  elements from  $G_{g-1} \setminus G_{g-2}$  to create  $G_g$  and let  $U = U \setminus G_g$
- Step 2 : message passing  
For  $1 \leq g \leq G$ 
  - a) CN update :  $\forall m \in G_g, n \in N(m)$   
 $L_{m \rightarrow n} = 2 \tanh^{-1} (\prod_{n' \in N(m)} \tanh(\frac{1}{2} L_{n' \rightarrow m}))$
  - b) VN update:  $\forall n \in U_{m'} \in G_g, m \in N(m)$   
 $L_{n \rightarrow m} = L_n + \sum_{m' \in N(n) \setminus m} L_{m' \rightarrow n}$
- Step 3 : total LLR computation  
 $\forall n, 1 \leq n \leq N$   
 $L_n^{total, (I)} = L_n + \sum_{m' \in N(m)} L_{m' \rightarrow n}$
- Step 4: hard decision and stopping criterion test
  - a) Create  $D^{(I)} = [d_1^{(I)}, d_2^{(I)}, \dots, d_n^{(I)}]$  such that  
 $d_n^{(I)} = 0$  if  $L_n^{total, (I)} \geq 0$  and  $d_n^{(I)} = 1$  if  $L_n^{total, (I)} < 0$
 If  $D^{(I)}.H^T = 0$  or  $I_{max}$  is reached, stop decoding and output  $D^{(I)}$  as the decoded codeword. Otherwise, set  $I = I + 1$  and  $U = \{x | 1 \leq x \leq M\}$ , go to step 1.

Figure 1. GSBP decoding clustering

The previous algorithm shows that three factors influence the random variables that are the messages from Ln to m and Lm to n. These factors are the codes received from the channel, their structures and the algorithm used for decoding. We have thus adopted approaches already published in the literature using Gaussian random variables where the code  $C = (0, 0, \dots, 0)$  is modulated through the BPSK norm by the vector  $X = (1, 1, \dots, 1)$ . We presented in Figure 2 the block diagram of our algorithm where we used a horizontal processing according to the GSBP concept. Moreover, we considered two types of (CN) nodes according to whether they are updated or not.

Then we use a new division of the non-empty intersections to analyze their influence on the convergence of the proposed algorithm. Thus, for each sub iteration of each iteration we divide it into four classes. If g indicates the number of the sub iteration, class a) will be constituted by the nodes of type (CN) updated at the hth sub iteration such that h is greater than g. Class b) is constituted by the nodes of the (g-1) the group. Class c) contains nodes of type (CN) that are not in class b), whereas class d) contains nodes of type (CN) that are not in either class a) or class b).

We have presented on Figure 3 the state of the four classes after three sub-iterations for an overlap ratio  $r < 0.5$ . We have also presented on Figure 4 the composition of the four classes for an overlapping ratio r between 0.5 and 1. Let us consider the l-th iteration of our proposed algorithm and compute the average values of the updated variables. For this, let  $\mu_{cg}, X(l)$  be the mean of the message sent by a Class-x CN, that is,  $\mu_{cg}, X(l) = E\{Lg, m(\rightarrow l)n\}$ , where m is a member of the class CNs, n is a VN that links to m in the gth subiteration of the lth iteration. We begin with the VN update equation. Suppose the VN of degree-i, n is connected to p CNs of class d, q CNs of class b and i-p-q CNs of class a. For the g-th subiteration of the l-th iteration, we have, for  $g = 1$ .

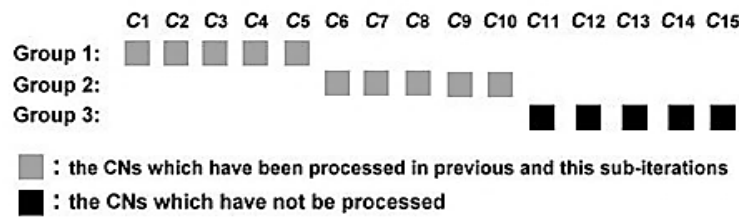


Figure 2. After two sub-iterations, an example of GSBP

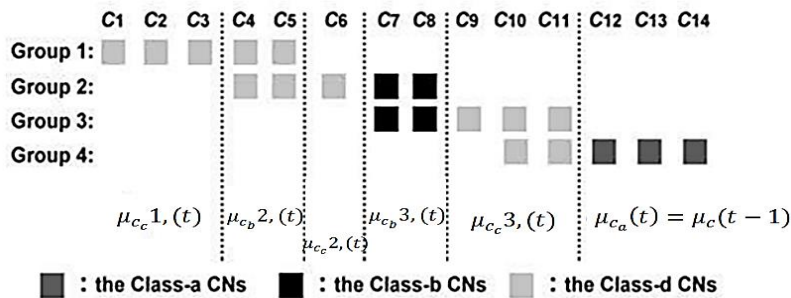


Figure 3. When  $R < 0.5$ , an example of NDGSBP after three sub-iterations

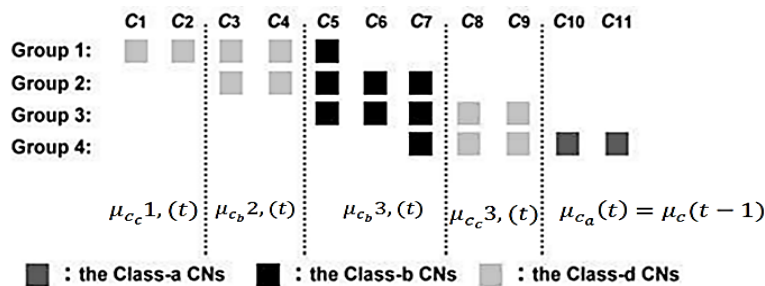


Figure 4. An application for NDGSBP following three sub-iterations when  $0.5 \leq R \leq 1$

### 3. PROPOSED WFGSBP ALGORITHM

The suggested WFGSBP method is described in this part, which determines the reweighting parameters based on simple criteria. Because the technique does not need a symmetrical factor graph, it may be used to generate LDPC codes with both regular and irregular designs. We'll go through the cycle counting method briefly before moving on to our message forwarding rules and the WFGSBP decoding algorithm flow. The GSBP method, while improves decoding results convergence, nonetheless has a lot of flaws, particularly in terms of implementation. We present the WFGSBP method for regular and irregular LDPC codes suggested for the GSBP to minimize complexity as shown in Figure 5.

- Step 0 : initialisation  
This step consist of calculating short cycles  $\pi_i = \exp(-(\sigma_i / (k * U_g)))$   
Then we compute the LLR value of the received symbol:  
 $\lambda_i = \log [P(X_i=0|Y_i) / P(X_i=1|Y_i)]$
- Step 1 : Grouping check node  
Collect NG elements randomly from the set U to form G1, let  $U = U \setminus G1$ .  
Collect NG-NG\*r element randomly from the set U and NG\*r elements from G1 to  
create G2. For  $3 \leq g \leq G$ , collect  
NG-NG\*r element randomly from the set U and NG\*r elements from  
 $G_{g-1} \setminus G_g - 2$  to create Gg and let  $U = U \setminus Gg$
- Step 2 : message passing  
For  $1 \leq g \leq G$   
CN update :  $\forall m \in G_g, n \in N(m)$   
 $L_m \rightarrow n = 2 \tanh^{-1} (\prod_{n' \in N(m)} \tanh(\frac{1}{2} L_{n'} \rightarrow m))$   
VN update:  $\forall n \in U_{m'} \in G_g, m \in M(n)$   
 $L_n \rightarrow m = L_n + \sum_{m' \in M(n) \setminus m} L_{m'} \rightarrow n$
- Step 3 : total LLR computation  
 $\forall n, 1 \leq n \leq N$   
 $L_n^{total(l)} = L_n + \sum_{m' \in N(m)} L_{m'} \rightarrow n$
- Step 4: hard decision and stopping criterion test  
Create  $D^{(l)} = [d1^{(l)}, d2^{(l)}, \dots, dn^{(l)}]$  such that  
 $dn^{(l)} = 0$  if  $L_n^{total(l)} \geq 0$  and  $dn^{(l)} = 1$  if  $L_n^{total(l)} < 0$   
If  $D^{(l)}.H^T = 0$  or  $l_{max}$  is reached, stop decoding and output  $D^{(l)}$  as the decoded  
codeword. Otherwise, set  $l = l + 1$  and  $U = \{x | 1 \leq x \leq M\}$ , go to step 1.

Figure 5. Weighted factor shuffled grouped belief propagation algorithm

### 4. SIMULATION AND RESULTS

We have chosen the three codes C1, C2, and C3.

C1: LDPC code of codeword size  $N = 1296$  and code ratio  $1/2$  for the IEEE 802.11 standard [30], [31].

C2: LDPC code of  $N = 1056$  and code ratio  $1/2$  for the IEEE 802.16 standard [10].

C3: An independent replicate accumulate (IRA) code of  $N = 1024$  and code ratio  $1/2$ , where the distribution polynomials  $\lambda(x)$  and  $\rho(x)$  for the variant versus control links, respectively, are defined as:

$$\lambda(x) = 0.3330x + 0.3851x^2 + 0.0002x^3 + 0.1392x^6 + 0.1425x^7 \quad (3)$$

$$\rho(x) = 0.9849x^5 + 0.0151x^6 \quad (4)$$

Johnson and Weller in [32], Tatsukawa *et al.* [33], the IRA code is presented and proven to be appropriate for the AWGN channel. We create such an IRA code at random using an approach described in [33], which does not use any technique to increase local girths. It's because we want to investigate if the suggested grouping's performance is influenced by Tanner graph topologies.

We run the simulations on an AWGN canal after BPSK modulating from 1 dB to 5 dB at 0.5 dB intervals until the number of bit errors in the evaluated code words reaches  $10^5$  or the number of trials reaches  $10^7$  ( $l_{max} = 5$ ). We simulate the WFGSBP decoding for  $r = 4, 8$  and  $16$ , along with the BP run (grouping  $r=1$ ). The average number of iterations is shown in Figures 6-8. At virtually all observation locations, the mean value for the original GSBP decoding is higher or equal to that for WFGSBP decoding.

In conclusion, even if the maximum number of iterations is modest, the suggested method can enhance the performance of the GSBP decoding. When signal-to-noise ratio (SNR) reaches 4.5 [dB], the impact is very noticeable (when the canal noise has a deep impact).

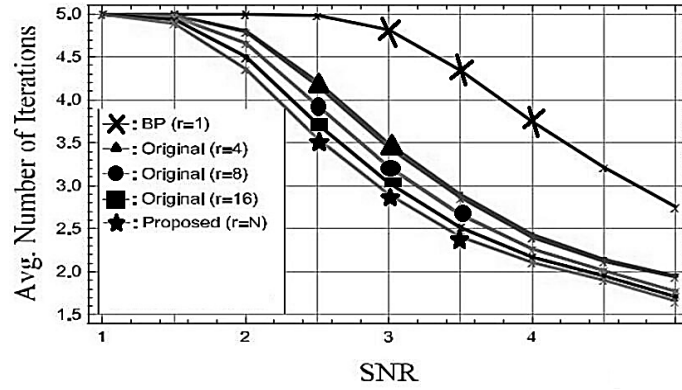


Figure 6. BER performance comparison of LDPC codes using the decoding algorithm: WGSBP, GSBP, and BP for C1

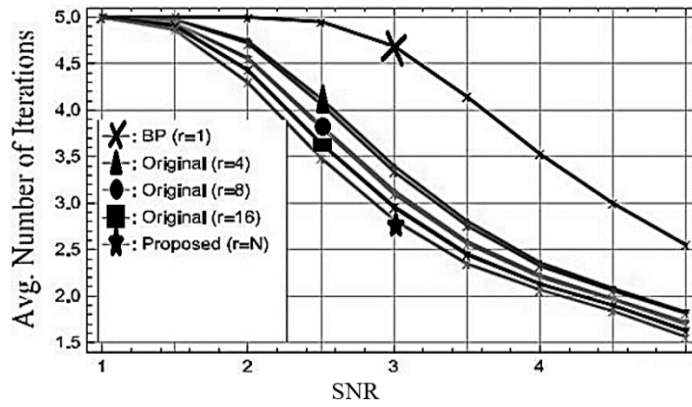


Figure 7. BER performance comparison of LDPC codes using the decoding algorithm: WGSBP, GSBP, and BP for C2

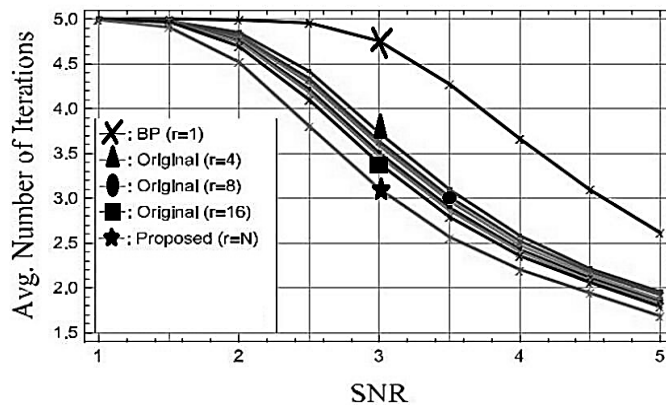


Figure 8. BER performance comparison of LDPC codes using the decoding algorithm: WGSBP, GSBP, and BP for C3




### 5. CONCLUSION

For the GSBP decoding method, we suggested a grouping based on the weighted parameter strategy in this article. We also found that the suggested approach may improve error correction performance and speed of convergence. Indeed, simulation findings demonstrate that the proposed WFGSBP decoding algorithm may deliver good results while needing fewer decoding rounds than the GSBP method.




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